Finite quantification			
• $c \rightarrow \texttt{forAll}(i : T \mid e) = c \rightarrow$	<pre>iterate(i : T; a : Boolean = true   a and e)</pre>		
• c->exists(i:T   e) = c->	<pre>iterate(i : T; a : Boolean = false   a or e)</pre>		
Selecting values			
• $c \rightarrow any(i : T \mid e)$	some element of c satisfying e		
• <i>c</i> ->select( <i>i</i> : <i>T</i>   <i>e</i> )	all elements of $c$ satisfying $e$		
Collecting values			
• $c \rightarrow collect(i : T \mid e)$	collection of elements with <i>e</i> applied to		
	each element of c		
• c.p	collection of elements <i>v</i> . <i>p</i> for each <i>v</i> in <i>c</i>		
	(short-hand for collect)		
C.allInstances()	all current instances of classifier C		
<pre>o.oclIsInState(s)</pre>	is <i>o</i> currently in state machine state <i>s</i> ?		
<pre>v.oclIsUndefined()</pre>	is value v null or invalid?		
<pre>v.oclIsInvalid()</pre>	is value v invalid?		

## **Evaluation**

- Strict evaluation with some exceptions
  - (if (1/0 = 0) then 0.0 else 0.0 endif).oclIsInvalid() = true
  - (1/0).oclIsInvalid() = true
  - Short-cut evaluation for and, or, implies
    - (1/0 = 0.0) **and** false = false
    - true **or** (1/0 = 0.0) = true
    - false **implies** (1/0 = 0.0) = true
    - (1/0 = 0.0) **implies** true = true
    - if (0 = 0) then 0.0 else 1/0 endif = 0.0
- In general, OCL expressions are evaluated over a system state.

e.g., represented by an object diagram





# Connection to UML

- Import of classifiers and enumerations as types
- Properties accessible in OCL
  - Attributes
    - *p*.milesCard (with *p* : Passenger)
  - Association ends
    - *p*.flight, *p*.booking, *p*.booking[flight]
  - { query } operations
  - Access to stereotypes via v.stereotype

### Representation of multiplicities

<i>a</i> [1] : <i>T</i>	a:T
<i>a</i> [01] : <i>T</i>	$a: \operatorname{Set}(T)$ or $T$
a[ <b>mn</b> ] : T	a: Set(T)
a[*]: T { unordered }	a: Set(T)
<i>a</i> [*] : <i>T</i> { ordered }	a: OrderedSet(T)
a[*]: T { bag }	$a: \operatorname{Bag}(T)$



Invariants



```
Notational variants
    context Passenger
    inv statusLimit: self.ma.statusMiles > 10000 implies
        self.status = Status::Albatros
    optional name
    context p : Passenger
    inv statusLimit: p.ma.statusMiles > 10000 implies
        p.status = Status::Albatros
    replacement for self
```

### Semantics of invariants

- Restriction of valid states of classifier instances
  - when observed from outside
- Invariants (as all constraints) are inherited via generalizations
  - but how they are combined is not predefined
- One possibility: Combination of several invariants by **conjunction**

context	С				
<b>inv</b> : $I_1$		$\sim$	conte	ext C	
context	С		inv:	$I_1$ and	$I_2$
<b>inv</b> : $I_2$					



# Pre-/post-conditions

- In UML models, pre- and post-conditions are defined separately
  - not necessarily as pairs
  - «precondition» and «postcondition» as constraint stereotypes

```
context Passenger::consumeMiles(b : Booking) : Boolean
pre: ma->notEmpty() and
    ma.flightMiles >= b.flight.miles
```

```
context Passenger::consumeMiles(b : Booking) : Boolean
post: ma.flightMiles = ma.flightMiles@pre-b.flight.miles and
    result = true
```

- Some constructs only available in post-conditions
  - values at pre-condition time p@pre
    result of operation call result
  - whether an object has been newly created
  - messages sent

```
o.oclIsNew()
o^op(), o^^op()
```



# Semantics of pre-/post-conditions

- Standard interpretation
  - A pre-/post-condition pair (*P*, *Q*) defines a relation *R* on system states such that  $(\sigma, \sigma') \in R$ , if  $\sigma \models P$  and  $(\sigma, \sigma') \models Q$ .
    - system state  $\sigma$  on operation invocation
    - system state  $\sigma$ ' on operation termination (Q may refer to  $\sigma$  by @pre).
  - Thus (P, Q) equivalent to (true, P@pre and Q).

### Meyer's contract view

- A pre-/post-condition pair (*P*, *Q*) induces benefits and obligations.
- benefits and obligations differ for implementer and user

	obligation	benefit
user	satisfy P	Q established
<b>implementer</b> if $P$ satisfied, establish $Q$		P established